
Algorithm 5 HACC-SPATIAL

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# input:
#   V ... set of  $i$  georeferenced data vectors
#   k – tessellation resolution,  $k \leq i$ 
#   cp – contiguity constraint parameter
5: #    $\text{dist}_a, \text{dist}_{\bar{a}}$  – distance matrices holding average distances
#   between adjacent/non-adjacent clusters
# output: a dendrogram of the hierarchical clustering

# split phase, run  $k$ -means clustering on spatial locations of data vectors
10:  $C \leftarrow k\text{-means}(V, k)$ 
return spatial clustering  $C$ 
# merging phase, iteratively merge clusters according to cp
spatialconstraint  $\leftarrow$  TRUE
repeat
15: # determine and store cluster distances
for each spatially adjacent cluster pair  $(c_i, c_j) \in C$  do
     $\text{dist}_a[\text{i,j}] \leftarrow \text{dist}(c_i, c_j)$ 
end for
for each spatially non-adjacent cluster pair  $(c_i, c_j) \in C$  do
20:     $\text{dist}_{\bar{a}}[\text{i,j}] \leftarrow \text{dist}(c_i, c_j)$ 
end for
# determine minimum/median distances and contiguity
 $\text{mindist}_a \leftarrow \min(\text{dist}_a), \text{mindist}_{\bar{a}} \leftarrow \min(\text{dist}_{\bar{a}})$ 
 $\text{contiguity} \leftarrow \frac{\text{mean}(\text{dist}_a)}{\text{mean}(\text{dist}_{\bar{a}})}$ 
25: # switch off constraint when cp is reached
if  $\text{contiguity} \geq \text{cp}$  and spatialconstraint then
    spatialconstraint  $\leftarrow$  FALSE
end if
if spatialconstraint then
30:    clusterpair  $\leftarrow$  which( $\text{dist}_a == \text{mindist}_a$ , arr.ind=TRUE)
else
    if  $\text{mindist}_a \leq \text{mindist}_{\bar{a}}$  then
        clusterpair  $\leftarrow$  which( $\text{dist}_a == \text{mindist}_a$ , arr.ind=TRUE)
    else
35:        clusterpair  $\leftarrow$  which( $\text{dist}_{\bar{a}} == \text{mindist}_{\bar{a}}$ , arr.ind=TRUE)
    end if
end if
    i  $\leftarrow$  clusterpair[1], j  $\leftarrow$  clusterpair[2]
     $C \leftarrow C \setminus (c_i, c_j)$  # remove most similar cluster pair
40:  $C \leftarrow C \cup (c_i \cup c_j)$  # add newly merged cluster
    update:  $\text{dist}_a, \text{dist}_{\bar{a}}$ 
until number of clusters = 1
return dendrogram of management zones  $C$ 
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